

Pipe organs use both open and closed pipes, with lengths from a few centimeters to 5 m or more. A flute acts as an open tube, for it is open not only where you blow into it, but also at the opposite end. The different notes on a flute are obtained by shortening the length of the vibrating air column, by uncovering holes along the tube (so a displacement antinode can occur at the hole). The shorter the length of the vibrating air column, the higher the fundamental frequency.

EXAMPLE 12-10 Flute. A flute is designed to play middle C (262 Hz) as the fundamental frequency when all the holes are covered. Approximately how long should the distance be from the mouthpiece to the far end of the flute? (This is only approximate since the antinode does not occur precisely at the mouthpiece.) Assume the temperature is 20°C.

APPROACH When all holes are covered, the length of the vibrating air column is the full length. The speed of sound in air at 20°C is 343 m/s. Because a flute is open at both ends, we use Fig. 12-11: the fundamental frequency f_1 is related to the length L of the vibrating air column by $f = v/2L$.

SOLUTION Solving for L , we find

$$L = \frac{v}{2f} = \frac{343 \text{ m/s}}{2(262 \text{ s}^{-1})} = 0.655 \text{ m}.$$

EXERCISE D To see why players of wind instruments “warm up” their instruments (so they will be in tune), determine the fundamental frequency of the flute of Example 12-10 when all holes are covered and the temperature is 10°C instead of 20°C.

EXAMPLE 12-11 ESTIMATE Wind noise frequencies. Wind can be noisy—it can “howl” in trees; it can “moan” in chimneys. What is causing the noise, and about what range of frequencies would you expect to hear?

APPROACH Gusts of air in the wind cause vibrations or oscillations of the tree limb (or air column in the chimney), which produce sound waves of the same frequency. The end of a tree limb fixed to the tree trunk is a node, whereas the other end is free to move and therefore is an antinode; the tree limb is thus about $\frac{1}{4}\lambda$ (Fig. 12-13).

SOLUTION We estimate $v \approx 4000 \text{ m/s}$ for the speed of sound in wood (Table 12-1). Suppose that a tree limb has length $L \approx 2 \text{ m}$; then $\lambda = 4L = 8 \text{ m}$ and $f = v/\lambda = (4000 \text{ m/s})/(8 \text{ m}) \approx 500 \text{ Hz}$.

NOTE Wind can excite air oscillations in a chimney, much like in an organ pipe or flute. A chimney is a fairly long tube, perhaps 3 m in length, acting like a tube open at either one end or even both ends. If open at both ends ($\lambda = 2L$), with $v \approx 340 \text{ m/s}$, we find $f_1 \approx v/2L \approx 56 \text{ Hz}$, which is a fairly low note—no wonder chimneys “moan”!

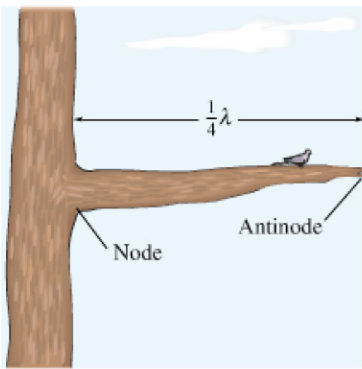
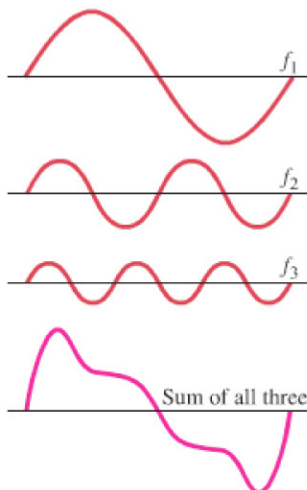


FIGURE 12-13 Example 12-11.

FIGURE 12-14 The amplitudes of the fundamental and first two overtones are added at each point to get the “sum,” or composite waveform.



* 12-5 Quality of Sound, and Noise; Superposition

Whenever we hear a sound, particularly a musical sound, we are aware of its loudness, its pitch, and also of a third aspect called “quality.” For example, when a piano and then a flute play a note of the same loudness and pitch (say, middle C), there is a clear difference in the overall sound. We would never mistake a piano for a flute. This is what is meant by the **quality** of a sound. For musical instruments, the terms *timbre* and *tone color* are also used.

Just as loudness and pitch can be related to physically measurable quantities, so too can quality. The quality of a sound depends on the presence of overtones—their number and their relative amplitudes. Generally, when a note is played on a musical instrument, the fundamental as well as overtones are present simultaneously. Figure 12-14 illustrates how the *principle of superposition* (Section 11-12) applies to three wave forms, in this case the fundamental and first two overtones (with particular amplitudes); they add together at each point to give a composite *waveform*. Of course, more than two overtones are